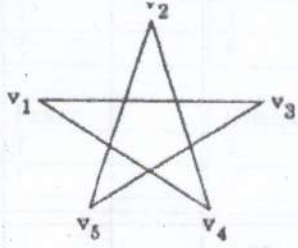


K. J. Somaiya Institute of Technology, Sion, Mumbai-22
(Autonomous College Affiliated to University of Mumbai)

Nov – Dec 2024		
(B. Tech.) Program: Computer Engineering Scheme: IIB		
Regular Examination: TY Semester: V		
Course Code: CEDLC5054 and Course Name: Probabilistic Graphical Models		
Date of Exam: 29/11/24	Duration: 02.5 Hours	Max. Marks: 60

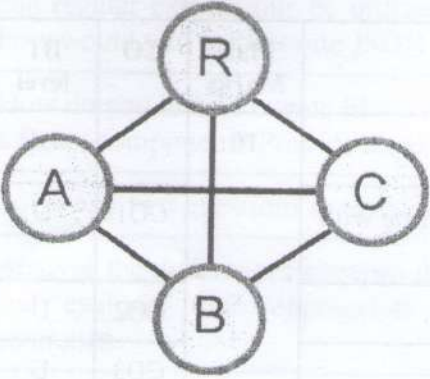
Instructions:

- (1) All questions are compulsory.
- (2) Draw neat diagrams wherever applicable.
- (3) Assume suitable data, if necessary.

Q. No.	Question	Max. Marks	CO	BT level
Q 1	Solve any two questions out of three: (05 marks each)	10		
a)	List and explain advantages of probabilistic graphical modeling with suitable examples.		CO1	U
b)	Differentiate between Bayesian Networks and Markov Networks.		CO2	U
c)	What are the properties of Markov Networks?		CO3	U
Q 2	Solve any two questions out of three: (05 marks each)	10		
a)	What is the causal model? Highlight the difference between causation and correlation with an example.		CO4	U
b)	Differentiate between the concepts of Expected Value and Expected Utility with a suitable example.		CO5	U
c)	Enlist the applications of Hidden Markov Model (HMM). Write in detail application of Part of Speech tagging using HMM.		CO6	U
Q.3	Solve any two questions out of three. (10 marks each)	20		
a)	i. Explain Complete Graph and Complement of Graph. Draw Complement of graph for the graph mentioned below: (5 Marks)		CO1, CO3	Ap
				

K. J. Somaiya Institute of Technology, Sion, Mumbai-22
(Autonomous College Affiliated to University of Mumbai)

Nov – Dec 2024			
(B. Tech.) Program: Computer Engineering Scheme: IIB			
Regular Examination: TY Semester: V			
Course Code: CEDLC5054 and Course Name: Probabilistic Graphical Models			
Date of Exam: 29/11/24	Duration: 02.5 Hours	Max. Marks: 60	

	<p>ii. Explain factor graph concept. Write factors for following Markov network. (5 Marks)</p> 			
b)	<p>i. Illustrate the graph for the given probability distribution: (5 Marks) $P(B, A, D, E, M, I) = P(A) \cdot P(B) \cdot P(D A) \cdot P(E B, A) \cdot P(I D) \cdot P(M E)$ Can the graph be considered as a Bayesian Network Model? If yes, justify your answer. ii. Explain D-Separation concept with example.</p>		CO2	Ap
c)	<p>There is a Mouse moving around a maze. The maze is a closed space containing nine rooms numbered from 1 to 9 and there are doorways connecting the rooms. There are doors leading to adjacent rooms, i.e. there are doors:</p> <ol style="list-style-type: none"> 1. from 1 to 2, 4 2. from 2 to 1, 3, 5 3. from 3 to 2, 6 4. from 4 to 1, 5, 7 5. from 5 to 2, 4, 6, 8 6. from 6 to 3, 5, 9 7. from 7 to 4, 8 8. from 8 to 5, 7, 9 9. from 9 to 6, 8 <p>i. Generate Transition Matrix based on the above information. (5 Marks) ii. What is the probability of the mouse starting from room 2 and reaching room 2 again in two transitions? (5 Marks)</p>		CO3	Ap
Q.4	Solve any two questions out of three. (10 marks each)	20		

K. J. Somaiya Institute of Technology, Sion, Mumbai-22
(Autonomous College Affiliated to University of Mumbai)

Nov – Dec 2024

(B. Tech.) Program: Computer Engineering Scheme: IIB

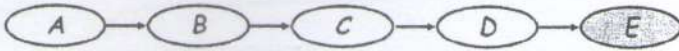
Regular Examination: TY Semester: V

Course Code: CEDLC5054 and Course Name: Probabilistic Graphical Models

Date of Exam: 29/11/24

Duration: 02.5 Hours

Max. Marks: 60

a)	<p>i. Evaluate $P(E=e)$ using variable elimination method method for the given directed graph. (5 Marks)</p> <div></div> <p>ii. Elucidate the difference between causal reasoning and evidential reasoning patterns. (5 Marks)</p>		CO4	Ap																								
b)	<p>i. Explain Maximum Expected Utility (EU) concepts along with its example with mathematical expression. (5 Marks)</p> <p>ii. Calculate the Expected payoff for following scenario using decision tree:(5 Marks)</p> <p>Scenario: Suppose the oil company needs to drill for oil wells. They need to decide whether to drill or not on the given site.</p> <div><div>1. Drilling cost = \$200</div><div>2. If oil found, it's worth of \$900</div></div> <p>If the well is dry, the company will get nothing.</p>		CO5	Ap																								
c)	<p>i. Given a Bayesian network representing a medical diagnosis system with nodes for symptoms (e.g., cough, fever) and diseases (e.g., flu, pneumonia), demonstrate how you would calculate the probability of a patient having the flu given that they have a cough and a fever. Show the steps and explain how conditional probabilities are used in this calculation.</p> <p>ii. Use following probability values and calculate the probability that a patient has the flu given that they have both a cough and a fever, i.e., $P(D=Flu C=Yes,F=Yes)$</p> <table><tr><th>Disease</th><th>P(D)</th></tr><tr><td>Flu</td><td>0.1</td></tr><tr><td>No Flu</td><td>0.9</td></tr></table> <table><tr><th>Cough</th><th>Flu</th><th>P(C D)</th></tr><tr><td>T</td><td>T</td><td>0.8</td></tr><tr><td>T</td><td>F</td><td>0.2</td></tr></table> <table><tr><th>Fever</th><th>Disease</th><th>P(F D)</th></tr><tr><td>T</td><td>T</td><td>0.7</td></tr><tr><td>T</td><td>F</td><td>0.1</td></tr></table>	Disease	P(D)	Flu	0.1	No Flu	0.9	Cough	Flu	P(C D)	T	T	0.8	T	F	0.2	Fever	Disease	P(F D)	T	T	0.7	T	F	0.1		CO2, CO6	Ap
Disease	P(D)																											
Flu	0.1																											
No Flu	0.9																											
Cough	Flu	P(C D)																										
T	T	0.8																										
T	F	0.2																										
Fever	Disease	P(F D)																										
T	T	0.7																										
T	F	0.1																										
